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(14a)

$H_0: \mu = 0$
 $H_a: \mu > 0$

Type I: (Falsely reject H_0) Type I is committed when the bank concludes there will be an increase under the no-fee offer when in fact that is not the case.

Type II: (FTR H_0 & not H_a) Type II is committed when the bank concludes there will be no increase in charges when the no-fee offer is given.

The Type II in this case is more serious because the bank would ~~not~~ decide to not change the policy & miss out on money making potential of increased charges.

(19a)

$H_0: \mu = 0$

$H_a: \mu > 0$

Type I error is committed when the experts conclude there is a difference (increase) in yield and there really isn't an increase.

Type II error is committed when the experts conclude there is no mean difference but in fact there is an increase in yield.

Type II more serious b/c in trying to increase yield and make more money they won't.

$$z = \frac{\hat{p} - p_0^{\text{hypothesized}}}{\sqrt{\frac{p_0(1-p_0)}{n}}}$$

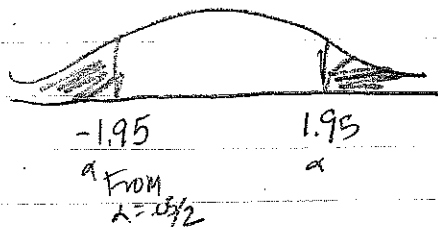
$$\alpha = .05$$

24

SRS ✓
 $np > 10$
 $nq > 10$
 10% rule ✓

$$H_0: p = .73 \text{ two tailed}$$

$$H_a: p \neq .73$$



$$\hat{p} = \frac{132}{200} = .66$$

$$\text{Test Statistic: } z = \frac{.66 - .73}{\sqrt{\frac{(.73)(.27)}{200}}} = \frac{-.07}{.0314} = -2.23$$

$$P = .032 \times 2 = .064 < .05$$

There is sufficient evidence to reject the null at a .05 significance level that the pop proportion at the Univ. is not equal to .73 for prop. of students who wish to be well off as a priority.

$$(b) \hat{p} = .66 \pm 1.96 \sqrt{\frac{(.66)(.34)}{200}}$$

w/ 95% confidence

(.5943, .7257) The true pop proportion of students at the Univ. is between 59.43% and 72.57%

$$(26) \hat{p} = \frac{23}{440} = .0523 \text{ conditions: SRS ✓}$$

$$np > 10 \quad 440(.1) = 44 \checkmark$$

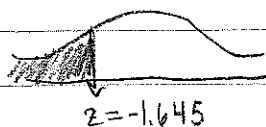
$$nq > 10 \quad 440(.9) = 396 \checkmark$$

$$10\% \text{ rule } 10 \times 440 = 4400$$

patients ✓

$$H_0: p = .1$$

$$H_a: p < .1$$



$$z = \frac{.0523 - .1}{\sqrt{\frac{.1 \times .9}{440}}} = -3.34$$

$$\sqrt{\frac{.1 \times .9}{440}}$$

Reject $H_0 \rightarrow$ support H_a

Signif. evidence to reject H_0 and support H_a that less than 10% will suffer adverse effects

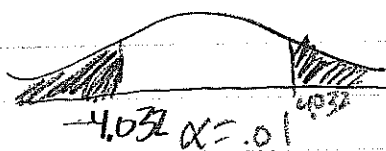
(26b) Type I error would be committed if we reject H_0 that proportion is 10% and ~~are~~ supporting less than 10% having side effects when in fact it is not $\geq 10\%$

Type II error would be committed if researchers conclude that the proportion for adverse side effects is .1 when it is not and in fact less than .1

Type I error more serious b/c researchers don't want to mislead consumers

(34) The subjects responses are not independent given the two treatments \Rightarrow

$$H_0: \mu_d = 0 \\ H_a: \mu_d \neq 0$$



The mean difference is the parameter of interest ~~##~~

$n=6 \Rightarrow$ normal \checkmark
SRS \checkmark
Independence \checkmark

10%^{all} total pop > 60 (6x6)

$$t = \frac{-0.326}{.181/\sqrt{6}} = -4.4118 \rightarrow \text{Rejection Region } P = .0069 \\ .0069 < .01$$

We have sufficient evidence to reject the H_0 that the mean diff = 0 and support the fact that there is ~~at~~ a difference in the 2 chemical measurements in the brain