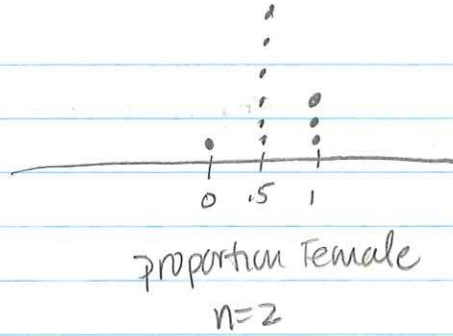


Handout Practice CH9

(9)

| OS | %F | | |
|----------|---------------|---------------------|---------------|
| AB = 7.5 | $\frac{1}{2}$ | OD = $8\frac{1}{2}$ | $\frac{1}{2}$ |
| AC = 10 | $\frac{1}{2}$ | CE = 9.5 | $\frac{1}{2}$ |
| AD = 8.5 | $\frac{2}{2}$ | DE = 8 | $\frac{2}{2}$ |
| AE = 9.5 | $\frac{2}{2}$ | | |
| BC = 7.5 | $\frac{0}{2}$ | | |
| BD = 6 | $\frac{1}{2}$ | | |
| BE = 7 | $\frac{1}{2}$ | | |



(10)

size 20

- (14) For one sample of 250/1690 Females the mean was 62.5
 (d) majority of means are btwn 63.5 and 64.5, it would be unusual to get a sample mean greater than 64.7 in.

(20)

RW¹ WS⁵ sample min is not unbiased
 RS¹ WR⁵ b/c R₂/20 left out of analysis
 RR₂¹ SR₂⁸

(24)

\hat{p} is a fair estimate of what we can infer about a population (this is unbiased)

(25)

(a) ii + iii B/c p is very close to the mean \hat{p} of the graph
 (b) ii does the best job as data is close to that average

(26)

(C) is Best answer

(28)

(a) smaller sample leaves more variability

(29)

(b)

(30)

(C)

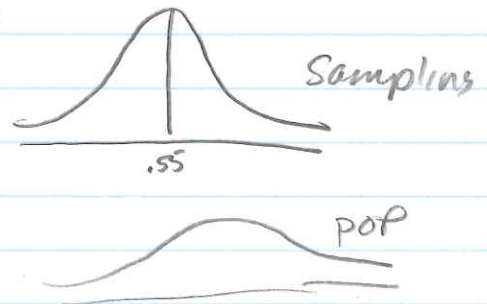
5000 people in a district is reasonable

(33) $\hat{p} = 55\%$

(b) $\sqrt{\frac{p(1-p)}{n}} = \sqrt{\frac{.55(.45)}{500}} = \boxed{.0222} = \sigma_{\hat{p}}$

(c) shape is symmetric but much thinner than pop. dist. b/c SD is smaller

$500 = 10\% \times 5000$



(35) (a) $\mu_{\hat{p}} = \boxed{.20}$

(b) $30 = 10\% \times 300 \Rightarrow 300$ sluttles in large bag

$\sigma_{\hat{p}} = \sqrt{\frac{(.20)(.80)}{30}} = \boxed{.091}$

(c) skinny Bell shape

(41) (a) $\mu_{\hat{p}} = \boxed{.70}$

(b) $\sqrt{\frac{(.70)(.30)}{1012}} = \boxed{.0144}$ US pop is clearly large enough to support 10% rule

(c) Check $np = 1012(.70) = 708.4 \geq 10 \checkmark$
 $ng = 1012(.30) = 303.6 \geq 10 \checkmark$

(d) $P(\hat{p} \leq .67)$ normalcdf(-∞, .67, .70, .0144)
 $P(\hat{p} \leq .67) = \boxed{.0186}$ which is pretty unusual if 70% of pop drink the milk

(57) (a) $P(X < 295) = \text{normalcdf}(-\infty, 295, 298, 3) = \boxed{.1587}$

(b) $n=6$

$P(\bar{x} < 295) = \text{normalcdf}(-\infty, 295, 298, 1.22)$

$\sigma_{\bar{x}} = \frac{3}{\sqrt{6}} = 1.22$

$P(\bar{x} < 295) = \boxed{.007}$

(60) (a) sampling distribution will be normal b/c pop dist. normal

$$(b) P(9 \leq \bar{x} \leq 10) = \text{normalcdf}(9, 10, 9.5, .447) = \boxed{.7367}$$

$$\sigma_{\bar{x}} = \frac{1}{\sqrt{5}} = .447$$

$$(c) \sigma_{\bar{x}} = \frac{1}{\sqrt{50}} = .1414 \quad \text{normalcdf}(9, 10, 9.5, .1414) = \boxed{.9996}$$

The larger sample is better b/c distribution shows most means fall close to the pop mean of 9.5

$$(61) (a) P(\bar{x} \leq 42.2) = \text{normalcdf}(-\infty, 42.2, 48, 2.899) = \boxed{.0227}$$

2.27%

$$\sigma_{\bar{x}} = \frac{8.2}{\sqrt{8}} = 2.899$$

(b) with about 2% of battery life is less than 42.2 mo while this is a low percent, it would seem likely that a higher % would be between 42.2 and 48. But less than 48 mo since it follows a normal distribution. However just as many would be above $P(42.2 \leq \bar{x} \leq 48) = 47.7\%$ 48% so its likely not overstated.
 $P(48 \leq \bar{x} \leq 54.2) = 48\%$

$$(66) P(\bar{x} \geq 15) = \text{normalcdf}(15, \infty, 15, 1.423) = .499 \text{ or } .5$$

on av.
50% will grab \$15 or more

$$\sigma_{\bar{x}} = \frac{9}{\sqrt{40}} = 1.423$$



(b) .95 \rightarrow 17.34 or \$17.50 to ensure they make money on the game

69) no - the histogram of the distribution of
Sample Means will look more & more normal

73) (b)

74) (a) reduce variability

Back 49) (b)